

## 0.1 Extra Credit

### Part A:

Download a PDB file for a protein and

1. Compute the distance distribution between sequential  $C_\alpha$  carbons. What is the mean of the distribution?
2. Compute the distance distribution between  $C_\alpha$  carbons separated in sequence by  $k$ . That is, the sequential neighbors have  $k = 1$ . How does the mean distance vary as a function of  $k$ ? Compare the distributions for  $k = 3$  and  $k = 4$ ; which has  $C_\alpha$  carbons closer together?
3. Compute the N-O distance distribution between all pairs of carbonyl and amide groups in the peptide bonds. What is the part of the distribution that corresponds to ones forming a hydrogen bond? (Hint: exclude the N's and O's that are in the same peptide bond as well as those in sequence neighbors.)

### Part B:

Proteins are *oriented*: there is a C-terminal end and an N-terminal end. Determine whether there is a bias in  $\alpha$ -helices in proteins with regard to their *macro-dipole*  $\mu$  which is defined as follows. Suppose that a helix consists of the sequence  $p_i, p_{i+1}, \dots, p_{i+\ell}$  where each  $p_j$  denotes an amino-acid sidechain. Let  $\mathcal{C}(p)$  denote the charge of the sidechain  $p$ , that is,  $\mathcal{C}(D) = \mathcal{C}(E) = -1$  and  $\mathcal{C}(K) = \mathcal{C}(R) = \mathcal{C}(H) = +1$ , with  $\mathcal{C}(p) = 0$  for all other  $p$ . Define

$$\mu(p_i, p_{i+1}, \dots, p_{i+\ell}) = \sum_{j=0}^{\ell} \mathcal{C}(p_{i+j}) \left( j - \frac{1}{2}\ell \right) \quad (1)$$

Plot the distribution of  $\mu$  over a set of proteins. Compare with the peptide dipole, which can be modelled as a charge of  $+0.5$  at the N-terminus of the helix and a charge of  $-0.5$  at the C-terminus of the helix. How does this differ for left-handed helices versus right-handed helices? (Hint: the PDB identifies helical regions of protein sequences. The peptide dipole in our simplification is just  $\ell$ , so  $\mu/\ell$  provides a direct comparison.)